

ASSESSMENT OF TOTAL HEAT AND MASS TRANSFER OF A LARGE HOT POOL USING THE BALANCE METHOD (OHAAKI POOL, BROADLANDS-OHAAKI GEOTHERMAL FIELD, NZ)

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Introduction

Hot pools and hot lakes with minor discharge of chloride water can often be found over large hot water systems. These pools are fed by deep thermal fluids which usually have been mixed with less mineralised shallow water and which ascend along deep reaching fracture zones. In most cases these pools and lakes occupy an older hydrothermal eruption crater. The water in the pool is clear and deposition of silica occurs at the margin often forming overhanging deposits. In New Zealand the Ohaaki Pool (Broadlands-Ohaaki), the Champagne Pool (Waiotapu), and the Waimangu Hot Lakes (Waimangu) are examples of such pools and lakes.

Evaporative heat losses are high because of the high surface temperature but natural overflow is usually small. The concentration of chemical constituents of the hot water is almost constant over long periods indicating that the total upflow is significantly greater than the total mass flow given by evaporation and natural overflow.

In this paper the likely total heat and mass transfer of the Ohaaki Pool in the Broadlands-Ohaaki geothermal field will be assessed; for locality of pool and wells cited refer to Browne (1986) and Henrys (1986).

The Ohaaki Pool heat transfer problem

The Ohaaki Pool occupies an ancient hydrothermal eruption crater (evaporating surface area about 850 m²) and taps deeper, hot chloride water which has been mixed with CO₂-rich steam-heated, deeper groundwater containing some condensate. There is good evidence that mixing occurs at a depth of 200 to 300 m where bicarbonate waters at temperatures of 140 to 180°C occur throughout the field which have caused external corrosion of wells (Hedenquist and Stewart, 1985). After mixing, fluids ascend as two-phase mixture to the surface causing a cone-shaped, anomalous seismic velocity structure beneath the pool down to about 200 m depth (Henrys, 1986).

The evaporative losses at the pool surface are on the average about 18±2 MW using the algorithm of Ryan et al. (1974) for the range of temperature data observed between 1929 and 1984 (see Table 1). The loss indicates an average mass flow rate of 6.7 kg/s for steam escaping from the pool which is of the same order as the average overflow rate of chloride water (about 10 kg/s) prior to 1967. When the first deep wells were tested between 1967 and 1971, the pool level dropped by 9 m (in 1971); the overflow stopped in 1969. Discharge tests of nearby well BR 3 and the immediate response of the pool level indicated a common deep feed. Analysis of later level changes showed that the pool responded to reservoir pressure changes (Grant, 1982).

Chemical analyses listed in Table 1 show that concentration of chemical constituents remained almost constant between 1929 and 1977, even after the overflow of the pool stopped. The unchanged concentrations of non-reactive constituents, like Cl and B, indicate that a large concealed outflow of mixed water must have occurred. Smaller changes in concentration were only observed after waste fluids from well BR22 had been discharged into the pool between 1981 and 1982; after this episode, the pool started to overflow again.

Heat and mass balance considerations

Approximate solutions can be obtained from the heat-, mass-, and chloride flux balance equations for a setting as shown in Figure 1; since:

$$(1) \quad m_E + m_o = m_c + m_d \quad (\text{mass balance})$$

$$(2) \quad Q_E + H'_p m_o = H_c m_c + H_d m_d \quad (\text{energy balance}),$$

$$\text{and } (3) \quad Cl'_p m_o = Cl_c m_c + Cl_d m_d \quad (\text{chloride flux balance}).$$

For an explanation of the symbols and subscripts, see legend in Figure 1.

These equations can be solved with respect to the mass flow rate m_d of deeper chloride water entering the "mixing box" in Figure 1, since:

$$(4) \quad m_d = \frac{Q_E(Cl'_p - Cl_c) + m_E Cl_c(H'_p - H_c)}{[(H_d - H_c)(Cl'_p - Cl_c)] - [(H'_p - H_c)(Cl_d - Cl_c)]}.$$

Equation (4) is not directly suitable for numerical solution since it contains more unknown than known parameters. However, with suitable assumptions covering extreme cases of vapour transfer between the mixing box and the surface and two additional limits restraining the enthalpy range of fluids entering the mixing box, a range of values can be found for the mass flow rate m_d and, hence, for all other unknown parameters.

Vapour which separates during ascent between the mixing box and the surface, when the enthalpy of the fluids decreases from H_m to H'_p , can be assessed for two extreme cases:

Case I: Vapour is condensed and enters the bottom of the pool, i.e. $Q_E = Q'_E$.

Case II: escapes elsewhere and heats up groundwater, i.e. $Q_E = Q'_E + \Delta Q_E$.

There are also limits for the enthalpy H_m of fluids in the mixing box:

Limit A: the enthalpy H_c of the CO_2 -rich heated water is almost the same as that of the deeper chloride water, i.e. $H_c = H_m = H_d$.

Limit B: H_c is lower than H_d but can be assessed from temperatures at the same level in nearby wells, i.e. $H_c < H_m < H_d$.

Since mixing occurs within a large volume, as indicated by the mixed fluids from the 350 m deep well BR33 which lies about 700 m to the west of the pool (Table 1), quasi-equilibrium conditions probably exist in the mixing box; for Limit A the value of H_m should be close to that indicated by SiO_2 geothermometer of the pool water ($T_{mix} \approx 200^\circ C$); hence, for Limit A we can use $H_m \approx 850$ kJ/kg. The CO_2 -rich heated waters might constitute a lateral flow which can be recognised in the stable temperature profile of nearby well BR3 where T at 240 m depth is about $170^\circ C$; for Limit B we used $H_c \approx 720$ kJ/kg. Appropriate values for H_m and H_d can be obtained from the chloride-enthalpy diagram (Figure 2).

Numerical example (Case I)

With data listed in Table 1 and values (Limit A) discussed above, one obtains the following input data:

$$\begin{array}{lll} Cl'_p = 1.06 \text{ g/kg;} & Cl_c = 0.03 \text{ g/kg;} & Cl_d = 1.44 \text{ g/kg;} \\ H'_p = 400 \text{ kJ/kg;} & H_c = H_d = 850 \text{ kJ/kg;} & \end{array}$$

this gives $m_o=40$ kg/s; $m_c=18$ kg/s; $m_d=29$ kg/s. The concealed outflow rate ($m_o-m'_o$) is therefore (40-10) kg/s. This also constitutes a minimum value for m_o ; for all other cases slightly larger values of m_o were obtained. If for Case I the enthalpy $H_c=H_m$ is lowered to 720 kJ/kg, one obtains, for example, $m_o=43$ kg/s, $m_c=19$ kg/s and $m_d=32$ kg/s. The total heat loss is not much affected by these changes and lies between 37 and 38 MW for both examples cited. Similar results can be obtained if one uses boron values listed in Table 1.

Numerical example (Case II)

If one introduces $\bar{H}=(H_2+H_3)/2$ for the mean enthalpy of vapour between the mixing box and the surface, one obtains an approximate value for the energy Q_E transferred since:

$$(5) \quad Q_E = \frac{\bar{H}(H_m - H'_p)(m_o + m_E)}{(\bar{H} - H'_p)}$$

Using as starting values m_o and m_E from Case I, approximate values for ΔQ and Δm can be obtained since $\Delta Q_E/\bar{H} = (Q_E - Q'_E)/\bar{H} = \Delta m_E$. The value of Δm can be added to the mass flow rate of the CO_2 -rich water to avoid an imbalance in the heat and chloride flux balance equations of the mixing box. By iteration best fit values for m_o , m_c , and m_d can be found.

For Limit B with $720 \text{ kJ/kg} < H_c < 850 \text{ kJ/kg}$ a range of values for m_o was obtained which all lie between 48 and 54 kg/s. A sensitivity analysis showed that errors of all parameters are dominantly affected by the error in Q'_E .

Summary

The study has shown that the total heat and mass transfer of the Ohaaki Pool is significantly greater than that given by surface losses (about 21.5 MW) and that a large concealed outflow of hot water (between 30 and 44 kg/s) is required to explain the unchanged chemistry of this pool in its natural state. The total heat transferred (37-41 MW) is about 2 times greater than that assessed from surface losses.

The same findings should also apply to other clear hot pools including those with no natural overflow but for which constant concentration of chemical constituents is documented. Constant chemistry of hot pools and hot lakes implies that there is always a large concealed outflow of hot water associated with these features.

Acknowledgements

Mr G. Caldwell (now Geophysics Division, DSIR) introduced the concept that the total heat and mass transfer of a hot pool can be assessed from balance equations. The data listed in Table 1 were provided by Chemistry Division, DSIR (Geothermal Research Centre, Wairakei); their permission to publish the data is gratefully acknowledged.

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Table 1: Chemistry of fluids from Ohaaki Pool and of surrounding wells

| Date ddmmyy | Well | pH | T °C | Na | K | Ca | Mg | Cl | SO ₄ | HCO ₃ | SiO ₂ | B | Comments |
|---|--------|-----|---------|------|------|------|------|-----------|-----------------|------------------|------------------|------|-----------------------------|
| 000029 | Ohaaki | 8.0 | 94 | 926 | 84.5 | 12 | 0.5 | 1049 | 63 | 769 | 305 | 29.3 | overflow |
| 151058 | Pool | - | 98 | 860 | 92.5 | - | - | 1078 | - | - | - | 30.1 | " |
| 230159 | " | - | - | 920 | 82.5 | - | - | 1078 | 10.2 | 771 | - | 31.2 | " |
| 160665 | " | 7.0 | 95 | 860 | 82 | 8.5 | 0.2 | 1060 | 100 | 680 | 339 | 32.1 | overflow (12 kg/s) |
| 150477 | " | 8.2 | 96±3 | 946 | 55 | 11.8 | - | 1047 | 159 | 703 | 226 | 30.1 | no overflow |
| 281079 | " | 7.4 | - | 929 | 75 | 11.6 | 0.6 | 1051 | 119 | 771 | 250 | 30.3 | " |
| mid 81 -mid 82 | " | - | - | - | - | - | - | 1200-1250 | - | - | - | - | input from BR22 |
| 100184 | " | 7.5 | 93 | 973 | 81 | 12.1 | 0.5 | 1161 | 90 | 740 | 296 | 32.5 | overflow |
| 020384 | " | 7.9 | - | 969 | 85 | 8 | 0.4 | 1136 | 77 | 680 | 273 | 33.9 | no overflow |
| 080884 | " | - | 92.5 | 833 | 77 | 9.9 | 0.42 | 1137 | 84 | 774 | - | 32.8 | " |
| <u>Unmixed waters</u> | | | | | | | | | | | | | |
| 260368 | BR03 | 8.3 | - | 975 | 194 | - | - | 1603 | 6 | 386 | 555 | 49.0 | inferred deep water |
| 080283 | BR22 | 8.4 | - | 1058 | 234 | 24 | 0.02 | 1721 | 6 | 165 | 840 | 49.9 | " |
| <u>Steam heated CO₂-rich groundwater</u> | | | | | | | | | | | | | |
| 041267 | BR06 | 7.4 | - | 435 | 39 | 180 | - | 28 | 15 | 2204 | 180 | 1.2 | inferred steam heated water |
| <u>Shallow mixed water</u> | | | | | | | | | | | | | |
| 050184 | BR33 | 8.8 | - | 938 | 105 | 1.2 | 0.05 | 1158 | 68 | 621 | 427 | 35.3 | T=180° at 350 m depth |

Note: All concentrations are in mg/kg and analyses refer to separation at atmospheric press.

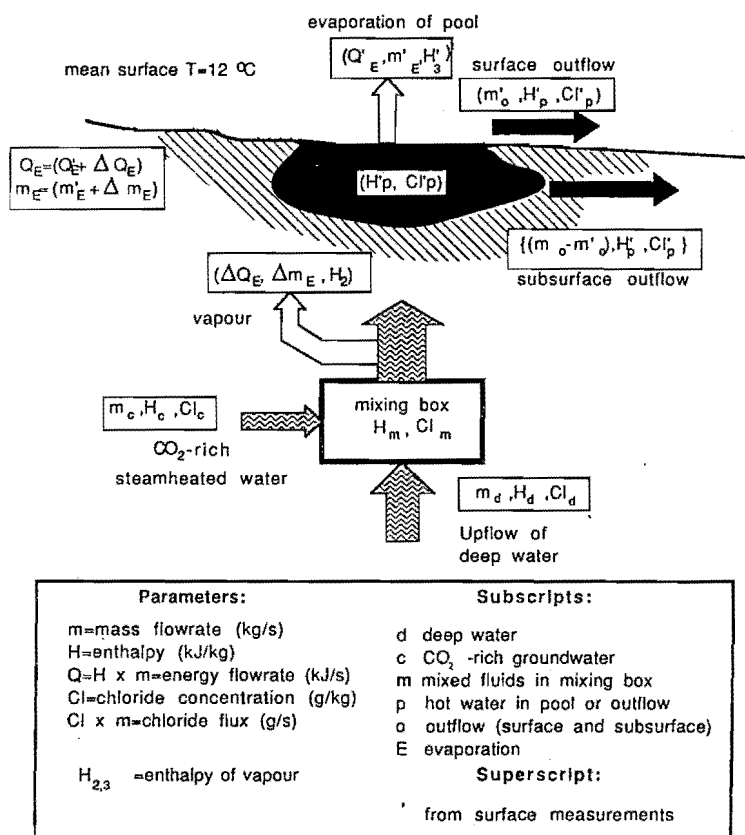


Figure 1. Diagram showing heat and mass flow components of fluids involved in the total heat and mass transfer of the Ohaaki Pool.

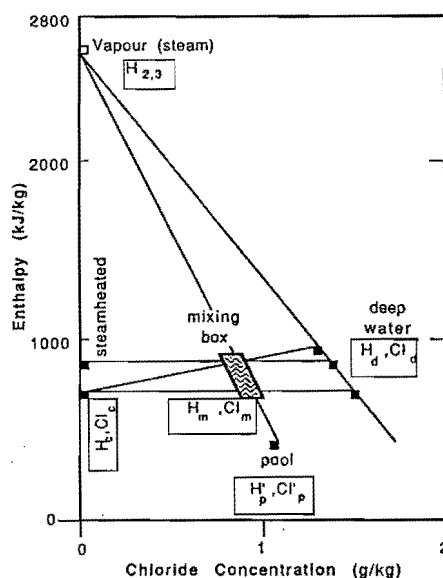


Figure 2. Chloride-enthalpy diagram showing control of mixed fluids discharged by the Ohaaki Pool.